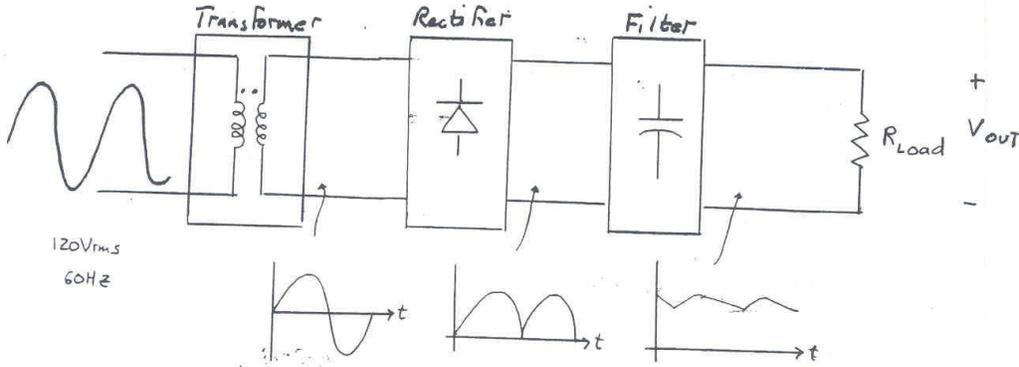


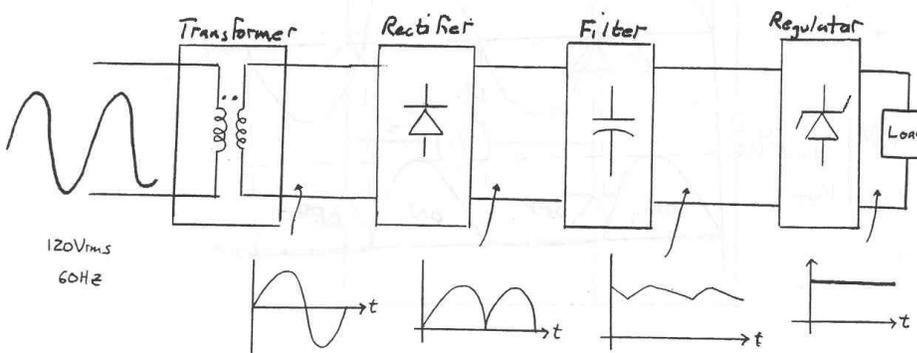
## Lesson 35: Zener diodes

### Overview

In the quest to construct a dc power supply, so far we're able to produce "dc-like" output with a small ripple voltage.



However, many electronic loads require a more precise dc voltage with even less ripple. We need to add a regulator that will maintain a constant voltage for a range of loads.

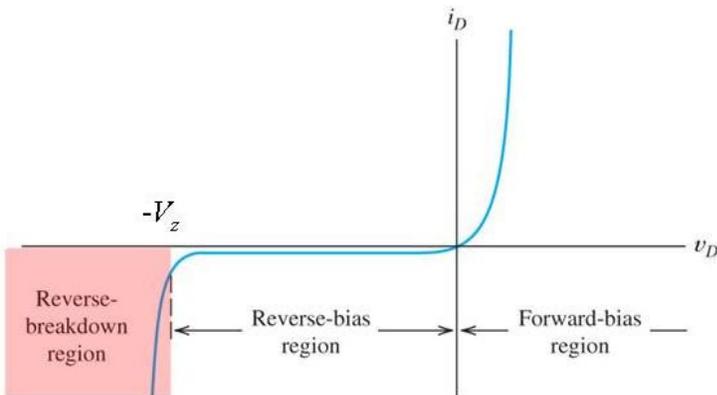


### Zener diode

The simplest such device is a specially designed diode called a \_\_\_\_\_ diode.

Recall the diode current-voltage characteristic.

The zener diode is designed to operate in the \_\_\_\_\_ (avalanche) \_\_\_\_\_ region.



Zener diodes are manufactured to provide specific values of  $V_z$ . We differentiate them from “regular Joe” diodes using the circuit symbol below.

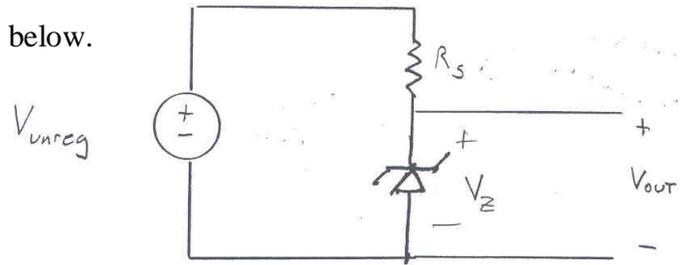
(draw zener diode symbol here)

Note that we \_\_\_\_\_ the normally indicated diode voltages and currents and re-label them  $V_z$  and  $i_z$ .

**Voltage regulator (unloaded)**

Consider the operation of a zener diode in the circuit below.

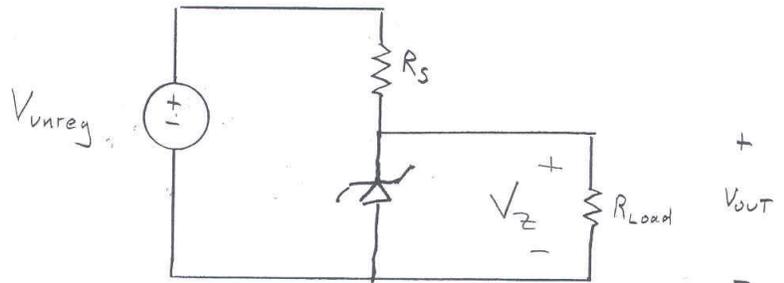
- If  $V_{unreg} > V_z$ , the what is  $V_{out}$ ?



**Voltage regulator (with load)**

Now consider the regulator circuit with a load.

- How do we determine if the zener diode is operating in the breakdown region?



**Analysis**

Assume that it is in breakdown and replace it by a source voltage with value  $V_z$ .

- How can we solve for  $i_z$ ?

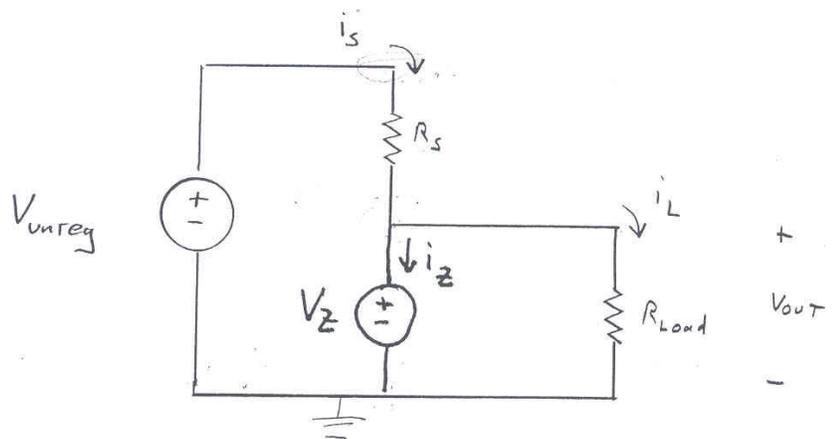
Using nodal analysis

$i_L =$

$i_s =$

Then, then from KCL

$i_z =$



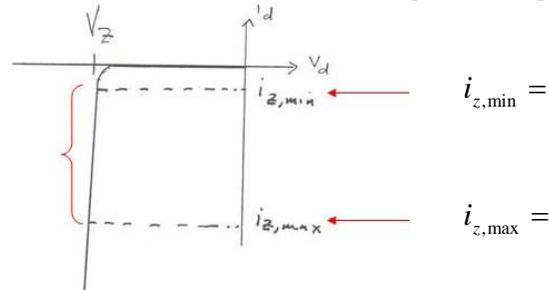
## Zener diode limitations

Two factors restrict the zener current  $i_z$

- We need sufficient current to keep the diode operating in the reverse breakdown region (beyond the zener “knee”)
- The zener current cannot be too big (lest we \_\_\_\_\_ the diode).

## Zener “rules of thumb”

The following bounds are useful in formulating our design



## Choosing $V_{unreg}$ & $R_s$

1.  $V_z$  set by desired \_\_\_\_\_ (what we want)
2.  $V_{unreg}$  will vary between a peak and minimum value (ripple voltage).
3.  $R_{load}$  varies from an open circuit ( $R_{load} = \infty$ ) down to some minimum value  $R_{load,min}$ .

We also need to keep the diode operating in breakdown and prevent it from turning into smoke.

Recall our expression for the zener diode current.

$$i_z = i_s - i_L$$

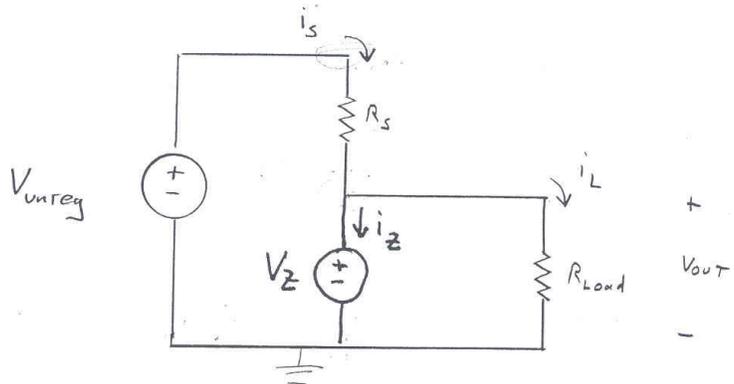
$$= \frac{V_{unreg} - V_z}{R_s} - \frac{V_z}{R_{load}}$$

Max/min currents are given

$$i_{z,max} = \frac{V_{unreg,max} - V_z}{R_s} - \frac{V_z}{R_{load,max}}$$

$$i_{z,min} = \frac{V_{unreg,min} - V_z}{R_s} - \frac{V_z}{R_{load,min}}$$

where  $R_{load,min} < R_{load} < R_{load,max}$



These constraints give us 2 equations, 3 unknowns ( $R_s$ ,  $V_{unreg,max}$ ,  $V_{unreg,min}$ )

### Example Problem 1

Suppose you choose a 0.5 W, 9 V zener diode for a load application where  $300\text{-}\Omega < R_{\text{load}} < \infty$ . Determine the range of  $V_{\text{unreg}}$  for  $R_s = 20\text{-}\Omega$ ,  $100\text{-}\Omega$ , and  $500\text{-}\Omega$ .

